

現象論と観測量 —QM2012から

大阪大学大学院理学研究科物理学専攻

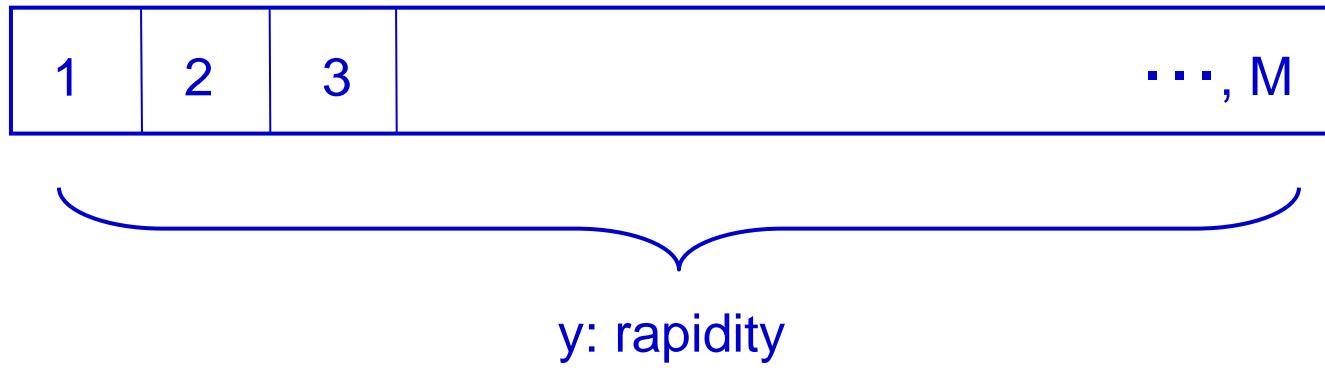
浅川 正之

MITで着ていたTシャツ



Intermittency

Białas & Peschanski (1986)



$$\langle F_i \rangle = M^{i-1} \left\langle \sum_{m=1}^M \frac{k_m(k_m-1)\cdots(k_m-i+1)}{N(N-1)\cdots(N-i+1)} \right\rangle$$

Scaled factorial moment

NA49(poster@QM, and submitted to arXiv later)

arXiv:1208.5292v1 [nucl-ex] 27 Aug 2012

Critical fluctuations of the proton density in A+A collisions at 158A GeV

T. Anticic,²² B. Baatar,⁸ D. Barna,⁴ J. Bartke,⁶ J. Beck,⁹ L. Betev,¹⁰ H. Bialkowska,¹⁹ C. Blume,⁹ M. Bogusz,²¹ B. Boimska,¹⁹ J. Book,⁹ M. Botje,¹ P. Bunčić,¹⁰ T. Cetner,²¹ P. Christakoglou,¹ P. Chung,¹⁸ O. Chvala,¹⁴ J. Cramer,¹⁵ V. Eckardt,¹³ Z. Fodor,⁴ P. Foka,⁷ V. Friese,⁷ M. Gaździcki,^{9,11} K. Grebieszkow,²¹ C. Höhne,⁷ K. Kadija,²² A. Karev,¹⁰ V. I. Kolesnikov,⁸ M. Kowalski,⁶ D. Kresan,⁷ A. Laszlo,⁴ R. Lacey,¹⁸ M. van Leeuwen,¹ M. Maćkowiak-Pawlowska,²¹ M. Makariev,¹⁷ A. I. Malakhov,⁸ M. Mateev,¹⁶ G. L. Melkumov,⁸ M. Mitrovski,⁹ St. Mrówczyński,¹¹ G. Pálá,⁴ A. D. Panagiotou,² W. Peryt,²¹ J. Pluta,²¹ D. Prindle,¹⁵ F. Pühlhofer,¹² R. Renfordt,⁹ C. Roland,⁵ G. Roland,⁵ M. Rybczyński,¹¹ A. Rybicki,⁶ A. Sandoval,⁷ N. Schmitz,¹³ T. Schuster,⁹ P. Seyboth,¹³ F. Siklér,⁴ E. Skrzypczak,²⁰ M. Slodkowski,²¹ G. Stefanek,¹¹ R. Stock,⁹ H. Ströbele,⁹ T. Susa,²² M. Szuba,²¹ D. Varga,³ M. Vassiliou,² G. I. Veres,⁴ G. Vesztergombi,⁴ D. Vranić,⁷ Z. Włodarczyk,¹¹ and A. Wojtaszek-Szwarc¹¹
(NA49 Collaboration)

N. G. Antoniou,² N. Davis,² and F. K. Diakonos²

²NIKHEF, Amsterdam, Netherlands

²Department of Physics, University of Athens, Athens, Greece

³Eötvös Loránt University, Budapest, Hungary

⁴Wigner Research Center for Physics, Hungarian Academy of Sciences, Budapest, Hungary

⁵MIT, Cambridge, Massachusetts, USA

⁶H. Niewodniczański Institute of Nuclear Physics, Polish Academy of Science, Cracow, Poland

⁷GSI Helmholtzzentrum für Schwerionenforschung, Darmstadt, Germany

⁸Joint Institute for Nuclear Research, Dubna, Russia

⁹Fachbereich Physik der Universität, Frankfurt, Germany

¹⁰CERN, Geneva, Switzerland

¹¹Institute of Physics, Jan Kochanowski University, Kielce, Poland

¹²Fachbereich Physik der Universität, Marburg, Germany

¹³Max-Planck-Institut für Physik, Munich, Germany

¹⁴Institute of Particle and Nuclear Physics, Charles University, Prague, Czech Republic

¹⁵Nuclear Physics Laboratory, University of Washington, Seattle, Washington, USA

¹⁶Atomic Physics Department, Sofia Univ. St. Kliment Ohridski, Sofia, Bulgaria

¹⁷Institute for Nuclear Research and Nuclear Energy, BAS, Sofia, Bulgaria

¹⁸Department of Chemistry, Stony Brook University (SUNYSB), Stony Brook, New York, USA

¹⁹National Center for Nuclear Research, Warsaw, Poland

²⁰Institute for Experimental Physics, University of Warsaw, Warsaw, Poland

²¹Faculty of Physics, Warsaw University of Technology, Warsaw, Poland

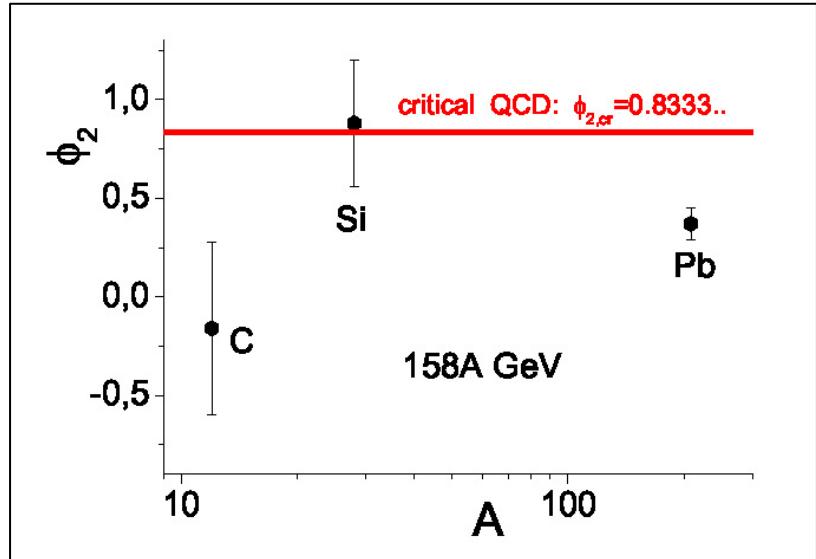
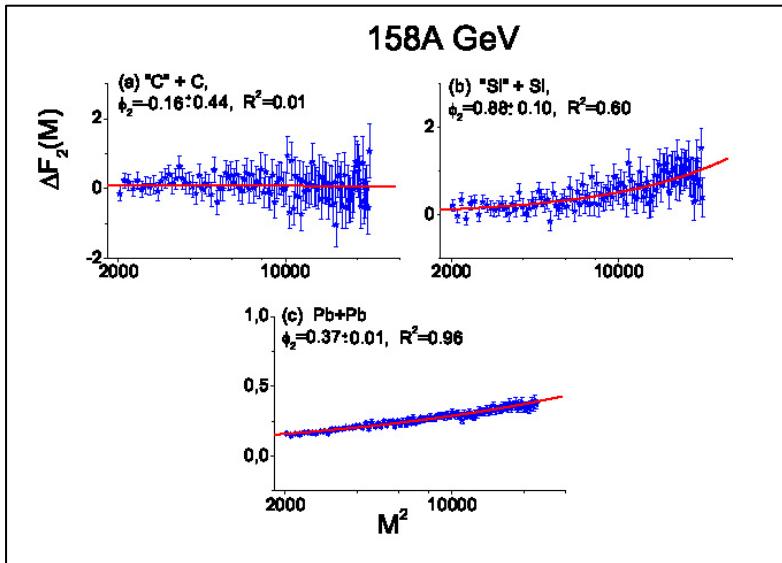
²²Rudjer Boskovic Institute, Zagreb, Croatia

(Dated: August 28, 2012)

Studies of QCD suggest the existence of a critical point in the phase diagram of strongly interacting matter. Close to this point, according to recent theoretical investigations, the net-proton density carries the critical fluctuations of the chiral order parameter. Using intermittency analysis in the transverse momentum phase space of protons produced around midrapidity in the 12.5% most central C+C, Si+Si and Pb+Pb collisions at the maximum SPS energy of 158A GeV we find evidence of power-law fluctuations for the Si+Si and Pb+Pb data. The fitted power-law exponent approaches the value expected for critical fluctuations. This suggests that the freeze-out states of these two systems are located in the phase diagram in the neighbourhood of the chiral critical point.

PACS numbers: 25.75.-q

NA49(*poster@QM*, and submitted to arXiv later)

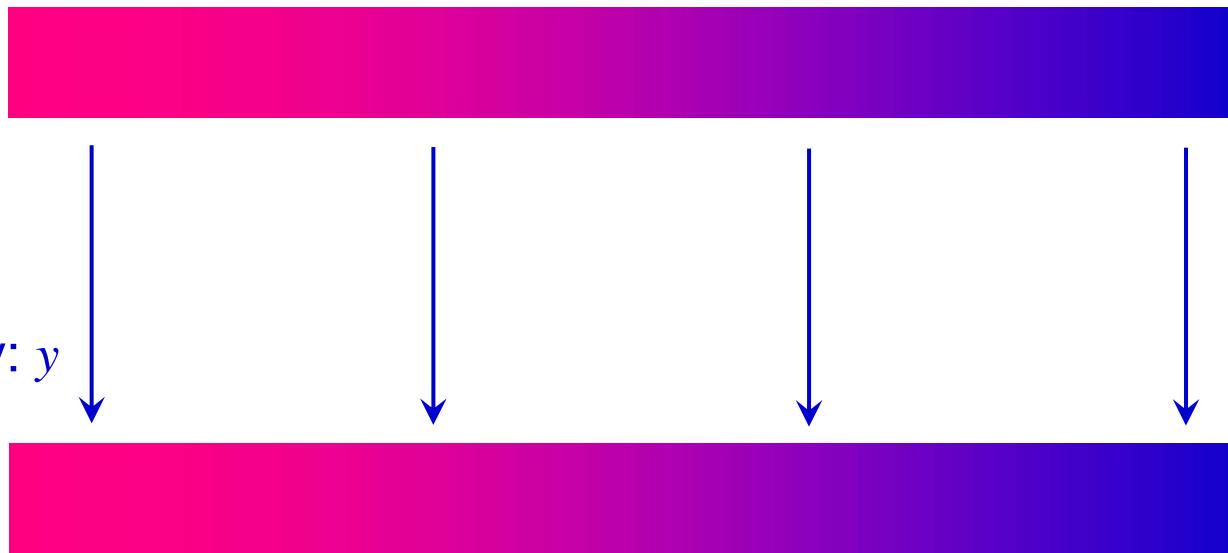


$$\Delta F_2(M) \propto (M^2)^{\phi_2}$$

ということで
Si+Si衝突におけるフリーズアウトはCPのそばにあるらしいと言っているが

Coordinate space & Momentum space

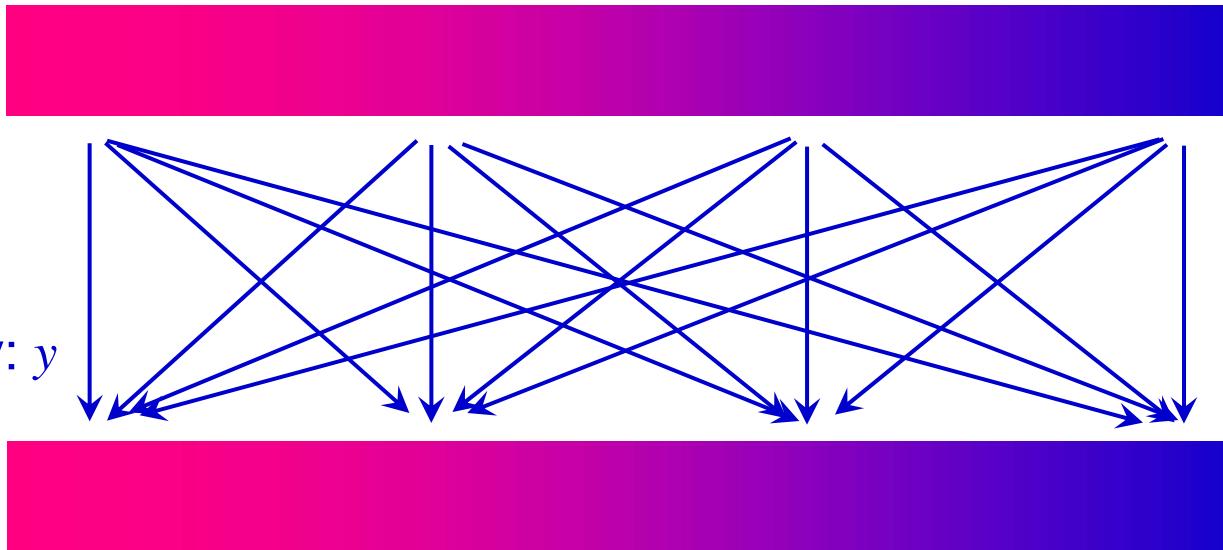
- ◆ coordinate space rapidity: η



- ◆ rapidity: y

Coordinate space & Momentum space

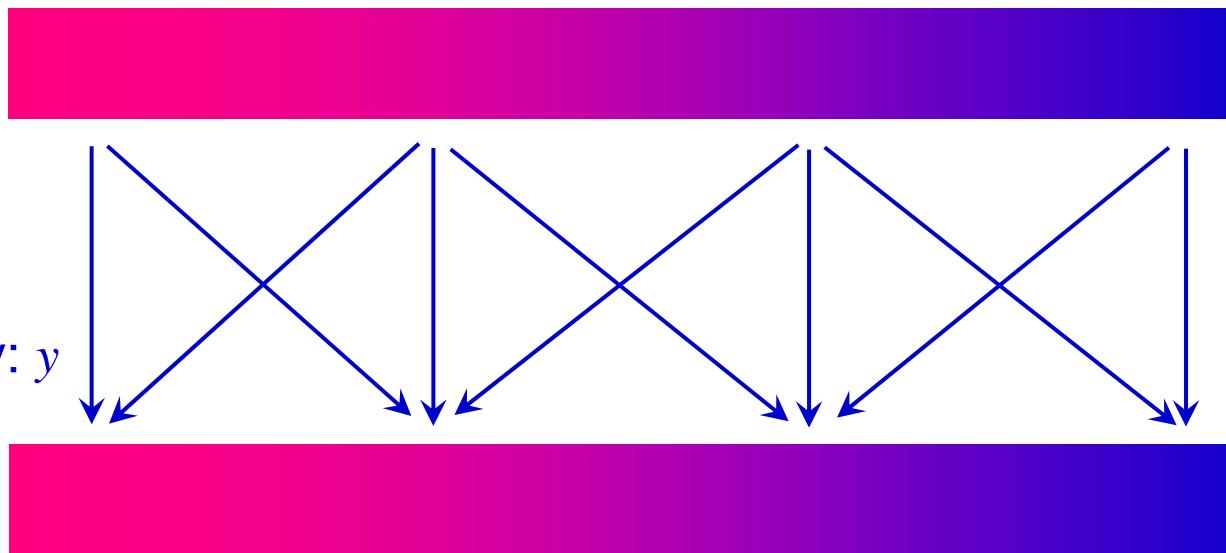
- ◆ coordinate space rapidity: η



- ✓ Bialas & Peschanski の頃は Flow という概念はあまりなかった (Standing Fireball)
cf. long emission time as a signature of 1st order phase transition

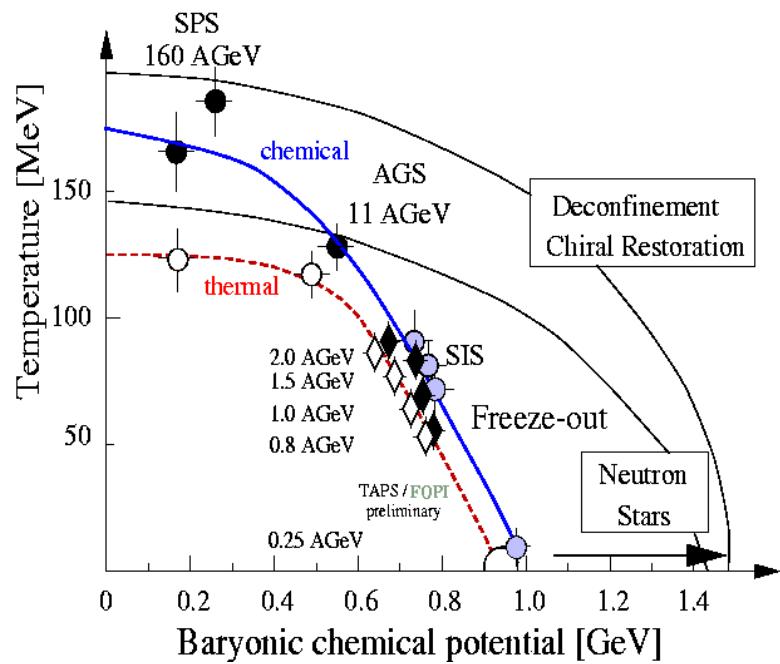
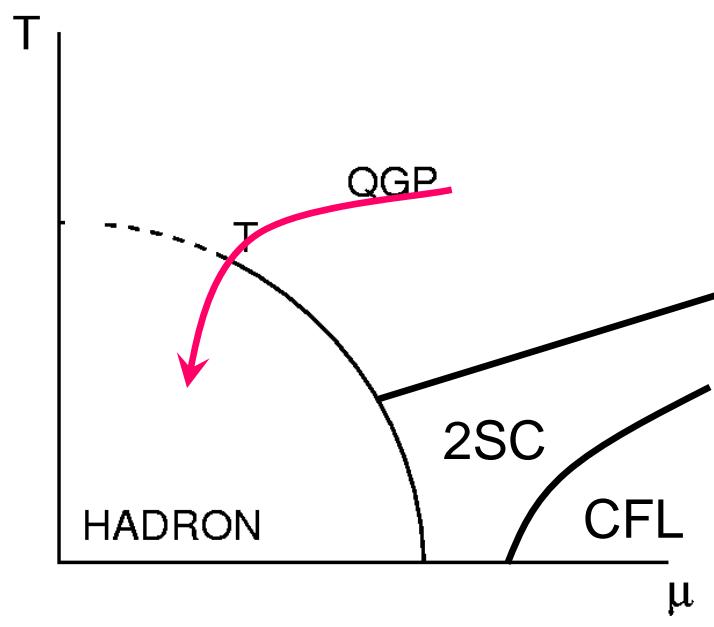
Coordinate space & Momentum space

- ◆ coordinate space rapidity: η



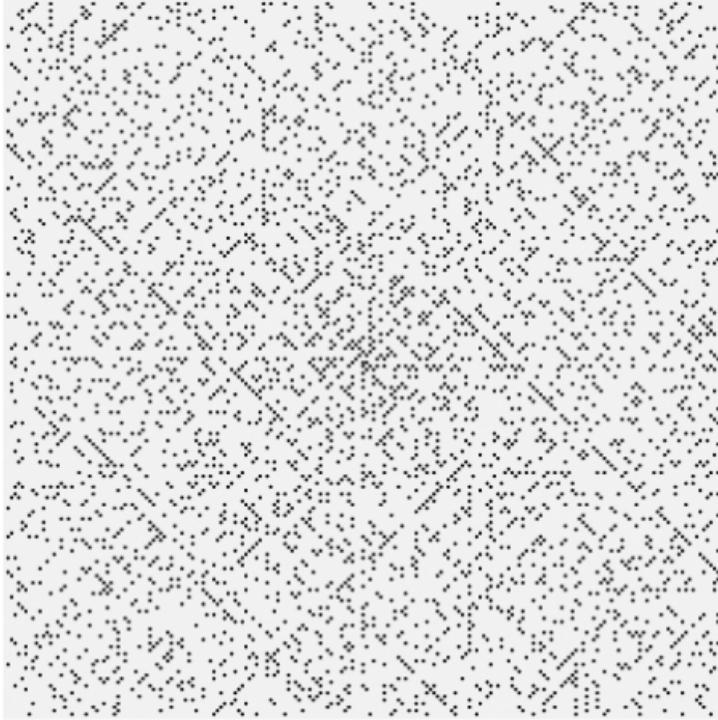
✓ η と y は looseに対応している(特にSPS)

Importance (Inevitability) of FSI



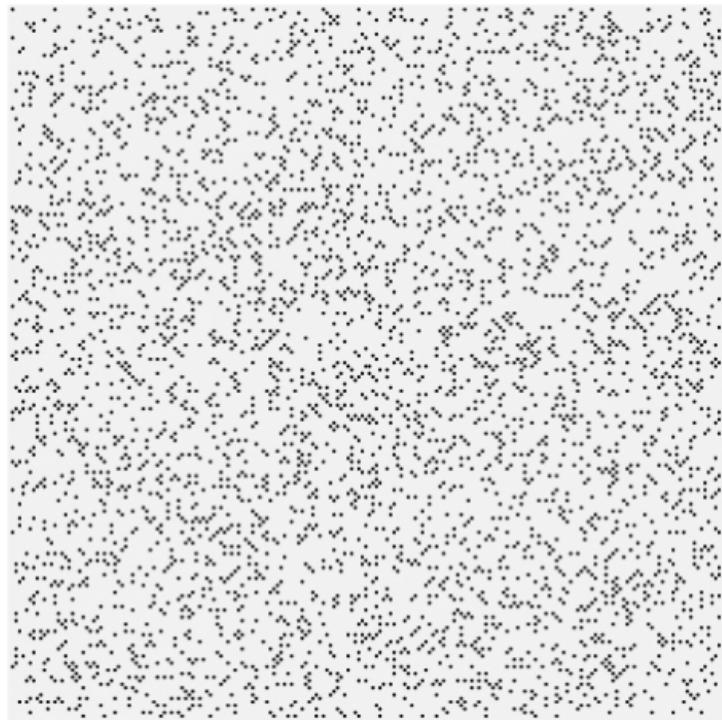
ウラムの螺旋

201×201個の自然数を螺旋に並べた
この範囲には4236個の素数がある



数論的意味は未解決

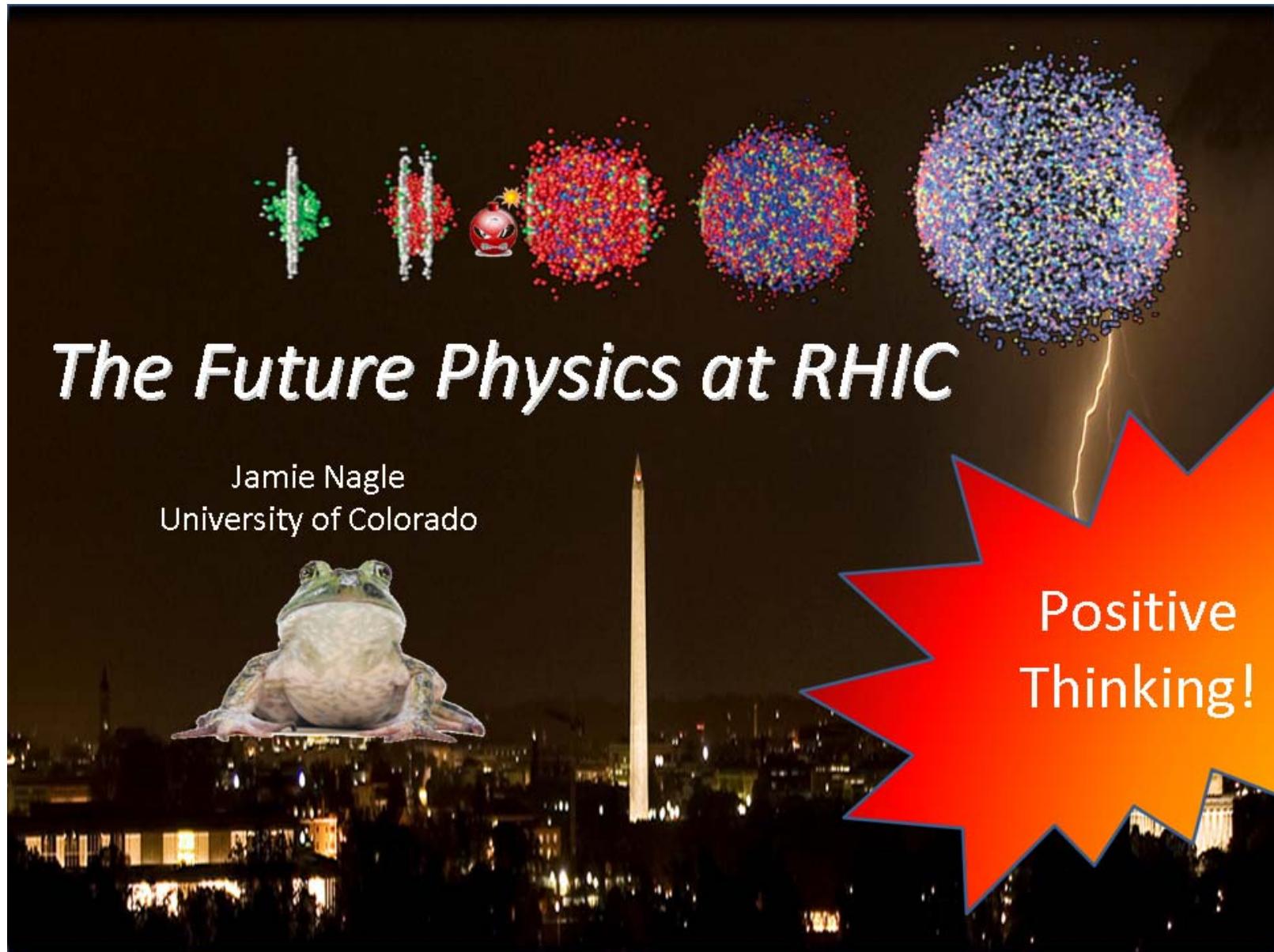
201×201個の自然数から4236個の
奇数をランダムに選んだ



ノイズを加えて多分同じ

朋優学院サイエンスサークルホームページより転載

Trace Anomaly?



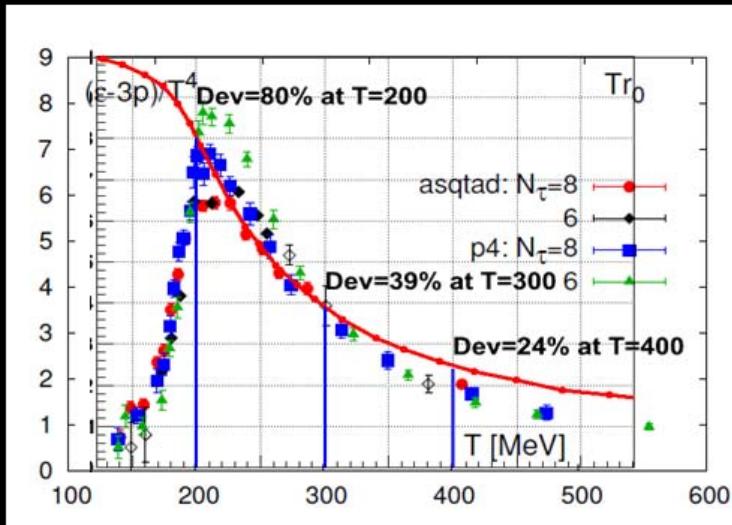
Jamie Nagle
University of Colorado

Positive
Thinking!

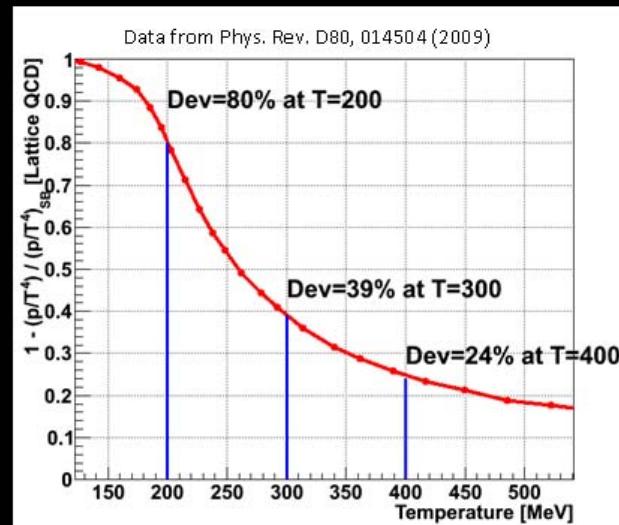
Trace Anomaly?

Transition from Strong to Weak Coupling?

What does Trace Anomaly tell us?



P/T^4 deviation from SB?



Some say no information on coupling

Caveats of AdS/CFT example

RHIC and LHC give a key lever arm in Temperature.

If the QGP properties are not different, why not?

このような考察にならないように、
昨年弘前で使ったスライドを用いて説明します

Interaction Measure

この量 $\frac{e - 3p}{T^4}$ は interaction measure と呼ばれている

超相対論的自由ガスでは $e=3p$ が成り立つ(と思われている)ため

$$e - 3p = T_\mu^\mu = \frac{\beta(g)}{g} F^{\mu\nu} F_{\mu\nu} \quad \text{なので、trace anomaly とも呼ばれている}$$

素朴な疑問

- ✓ グルーオン凝縮の絶対値は真空中の方が大きかったのでは?
- ✓ 本当に、超相対論的自由ガスでは $e=3p$ が成り立つのでしょうか?

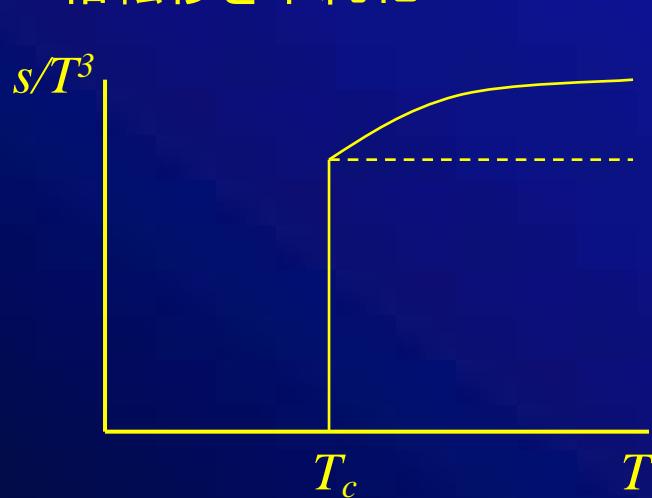
Interaction measure does not measure interaction

At $\mu = 0$

$$P(T) = \int_0^T s(t)dt$$

$$e(T) = Ts(T) - P(T)$$
 格子上では $T=0$ で $e=p=0$ に規格化されているので

相転移を単純化



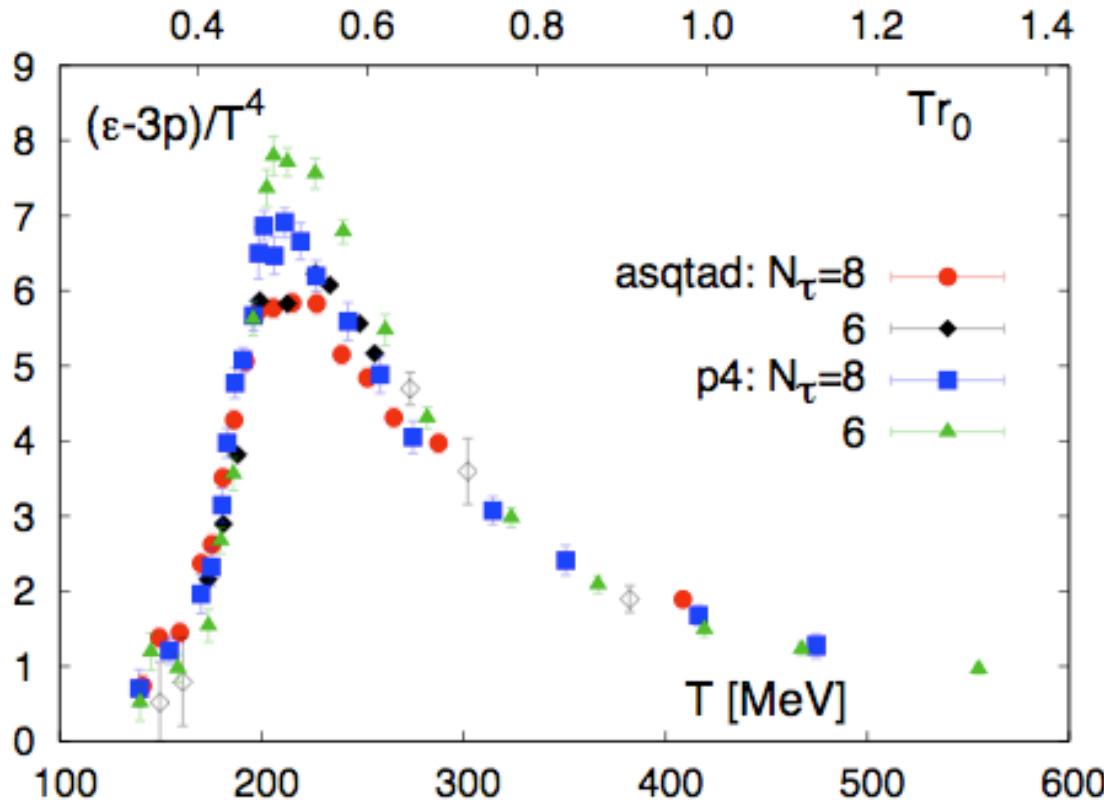
$\frac{e-3p}{T^4}$ はいずれの場合でも、 T_c までは0

熱力学は $s(T)$ が増加関数としか言わないが、、、

有効自由度 $n(T)=s/T^3$ を考えて、 $n(T)$ が
増加関数とすると(格子の結果もそうなっている)

$e-3p$ は増加関数になる $\Rightarrow e=3p$ とは絶対ならない

QCD thermodynamics is qualitatively different above $2-3 T_c$



- Beware:
 - Lattice shows $\varepsilon - 3p \propto \Lambda_{QCD}^2 T^2$
 - naïve quasi-particle models $\varepsilon - 3p \propto T^4$
 - LHC reaches well beyond $T=400$ MeV, where QCD thermodynamics is different

さて本題

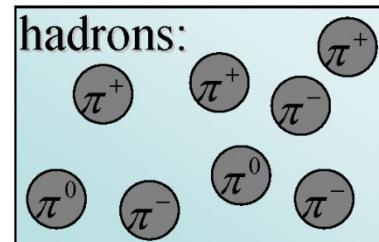
(Net-)Charge Fluctuations

Asakawa, Heinz, Muller, '00
Jeon, Koch, '00

- D -measure: $D = 4 \frac{\langle (\delta N_Q)^2 \rangle}{N_{ch}}$

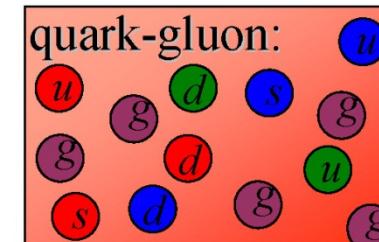
N_Q : net charge #
 N_{ch} : total #

- values of D :



$D \sim 3-4$

large \longleftrightarrow small



$D \sim 1$

- When is experimentally measured D formed?
 - **Conserved charges can remember** fluctuations at early stage, if diffusions are sufficiently slow.

北沢さんの前回のHIC/HIPでのスライド

Charge Fluctuation

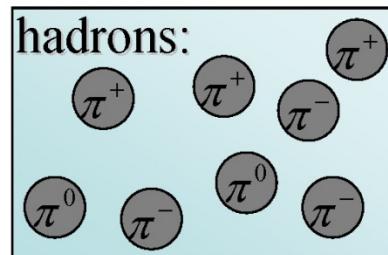
(Net-)Charge Fluctuations

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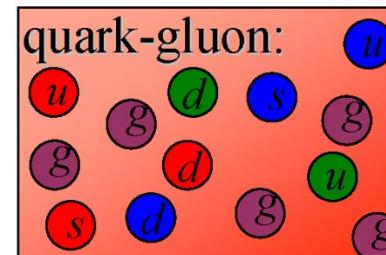
- D -measure: $D = 4 \frac{\langle (\delta N_Q)^2 \rangle}{N_{ch}}$

N_Q : net charge #
 N_{ch} : total #

- values of D :



$D \sim 3\text{-}4$



$D \sim 1$

large \longleftrightarrow small

実験結果: $D \sim 3$

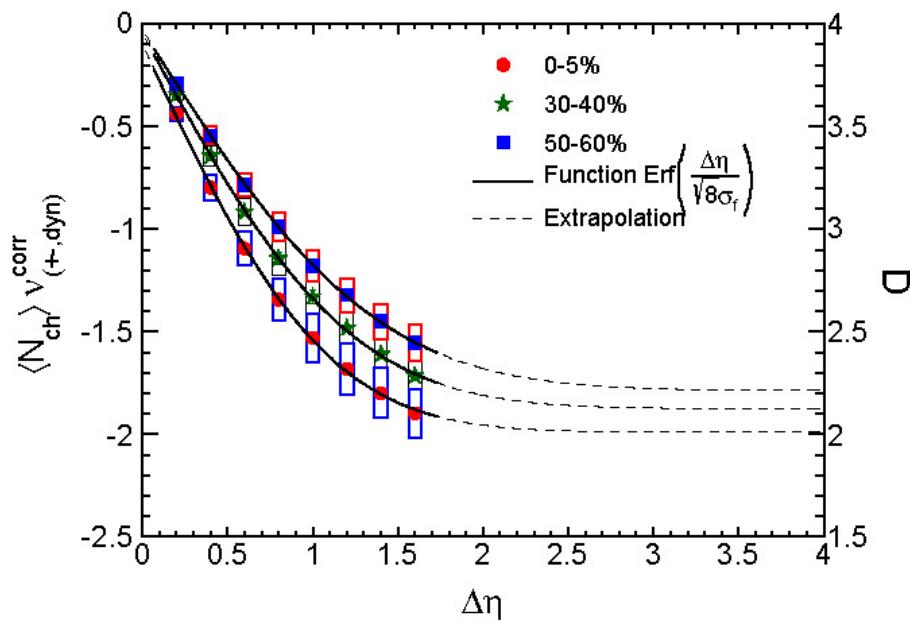
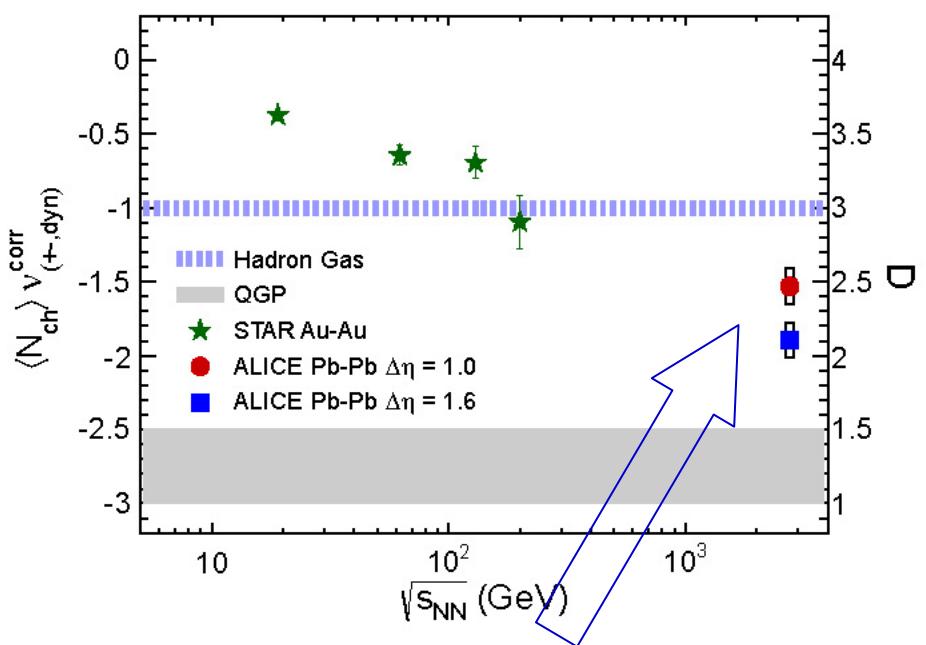
PHENIX '02, STAR '03

Counterarguments in
Bialas('02), Nonaka, et al.('05)

リコンビネーションによる説明

quark matter

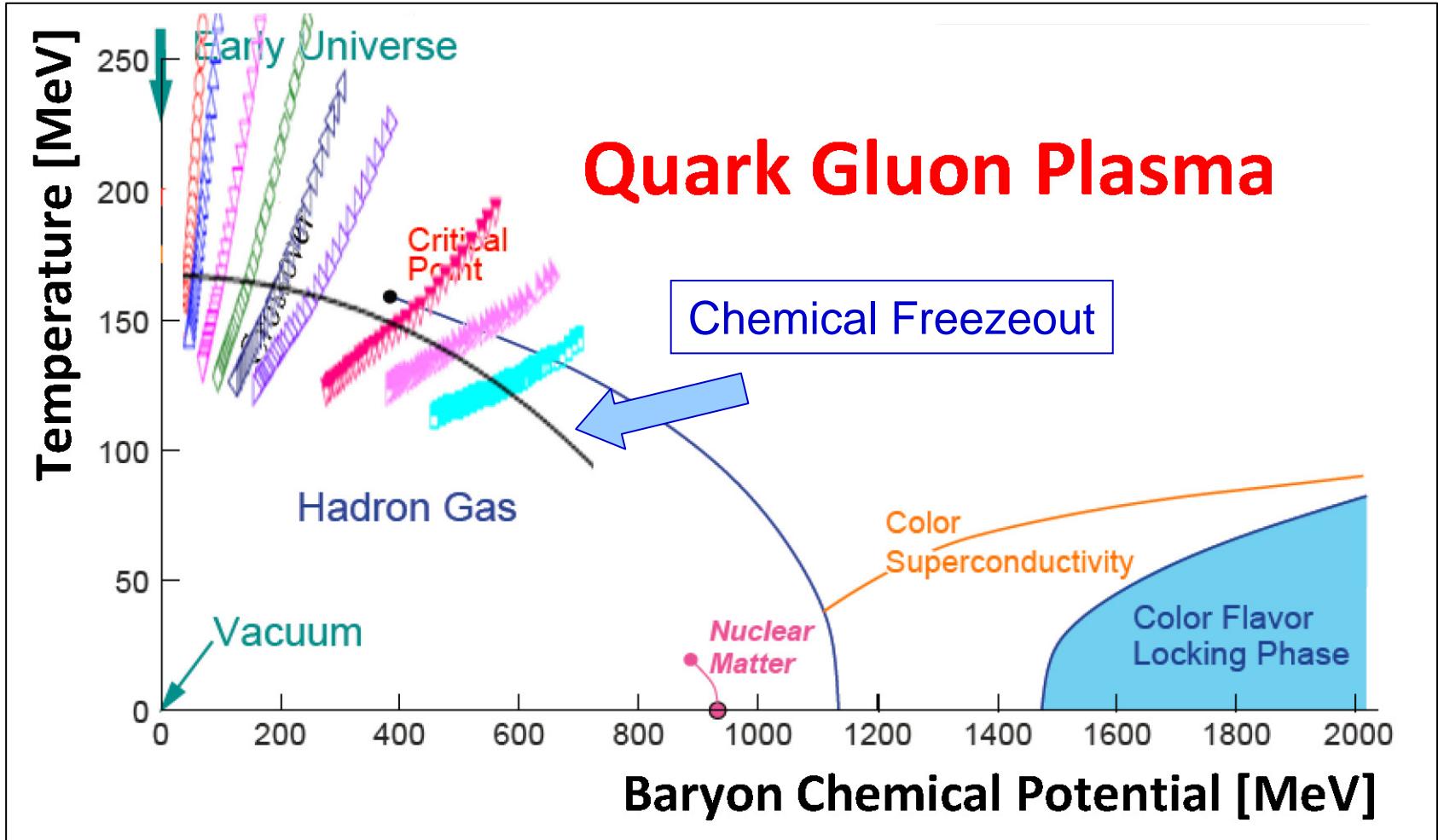
ALICE Paper(arXiv:1207:6068) & QM parallel talk



LHCはRHICとは違うという数少ない定量的結果の一つ

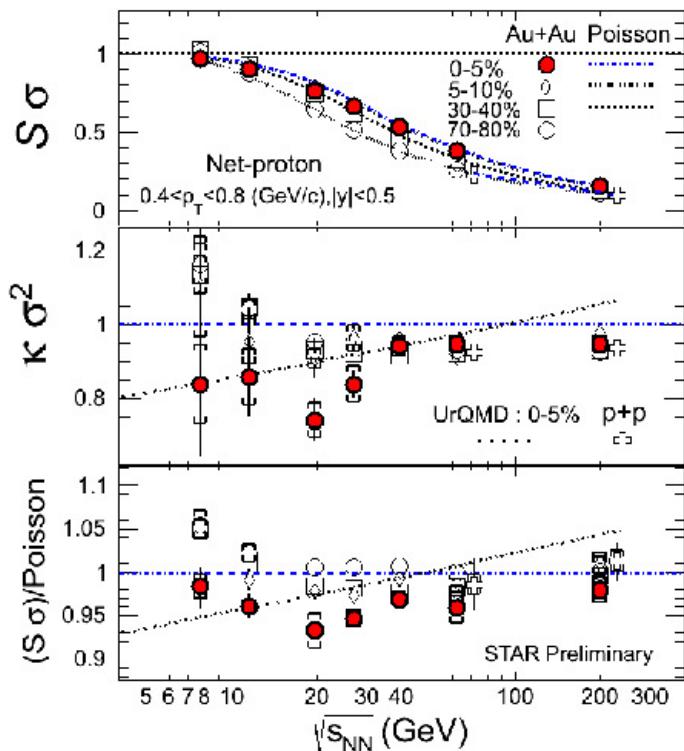
Gluonic degrees of freedom?

RHIC Energy Scan



Proton Number Cumulants and Their Ratios

Higher Moments of Net-protons



$$\begin{aligned}\sigma^2 &= \langle (N - \langle N \rangle)^2 \rangle \\ S &= \langle (N - \langle N \rangle)^3 \rangle / \sigma^3 \\ \kappa &= \langle (N - \langle N \rangle)^4 \rangle / \sigma^4 - 3\end{aligned}$$

- Higher moments - more sensitive to Critical Point induced fluctuations.
- Deviation from Poisson baseline in 0-5% collisions at >7.7 GeV.
- Above Poisson baseline in peripheral collisions below 19.6 GeV.
- UrQMD shows monotonic behavior.
- Need precision measurements at low energies.

Net-proton/Net-charge/Net-kaon

Luo, 7B, Fri.; McDonald, 7B, Fri.

Li/Sahoo/Sarkar, poster #215/557/394

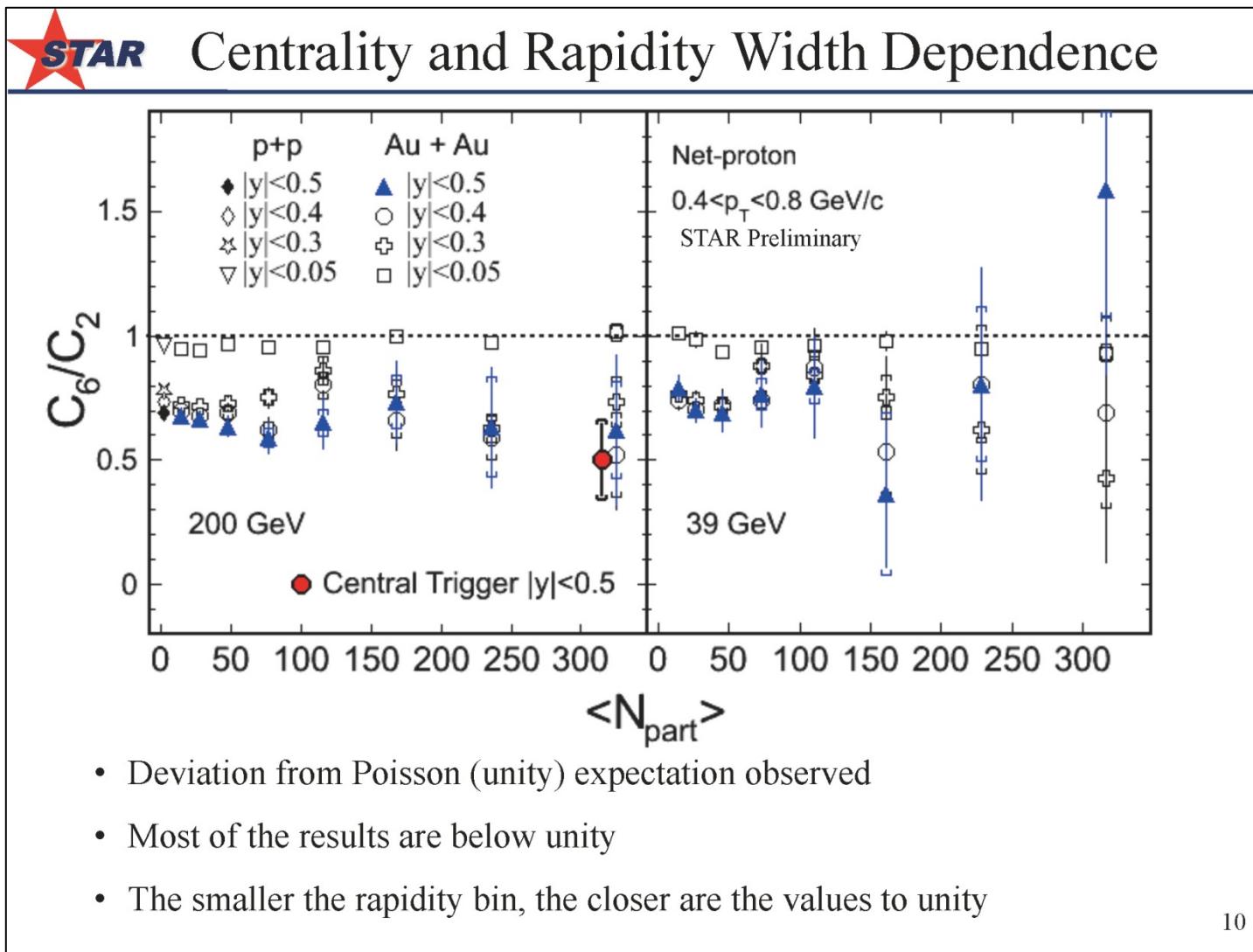


Aug. 13th, 2012

Quark Matter 2012, Washington D.C.

X. Dong

Proton Number Cumulants and Their Ratios



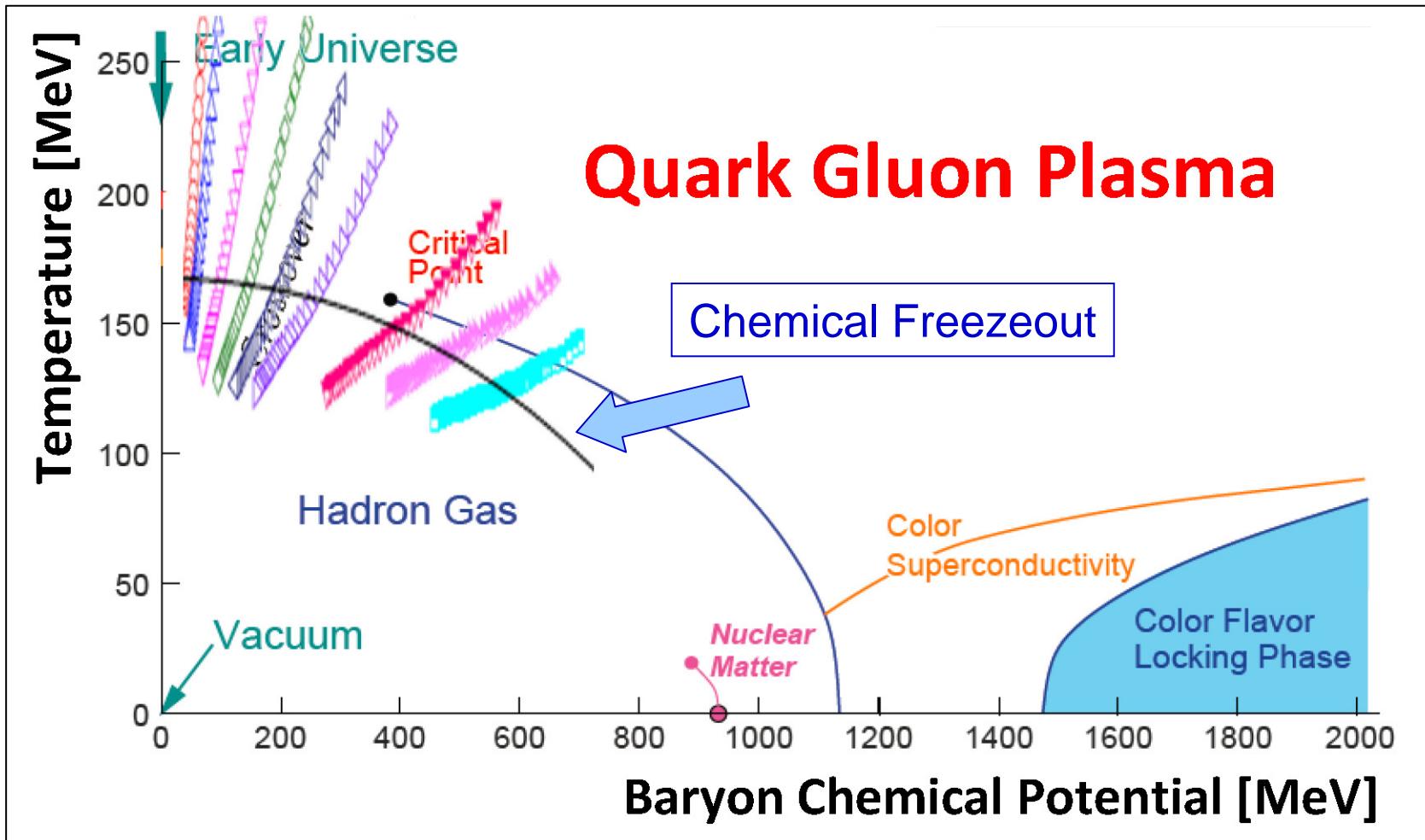
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L. Chen (STAR Collaboration) @QM2012

M. Asakawa (Osaka University)

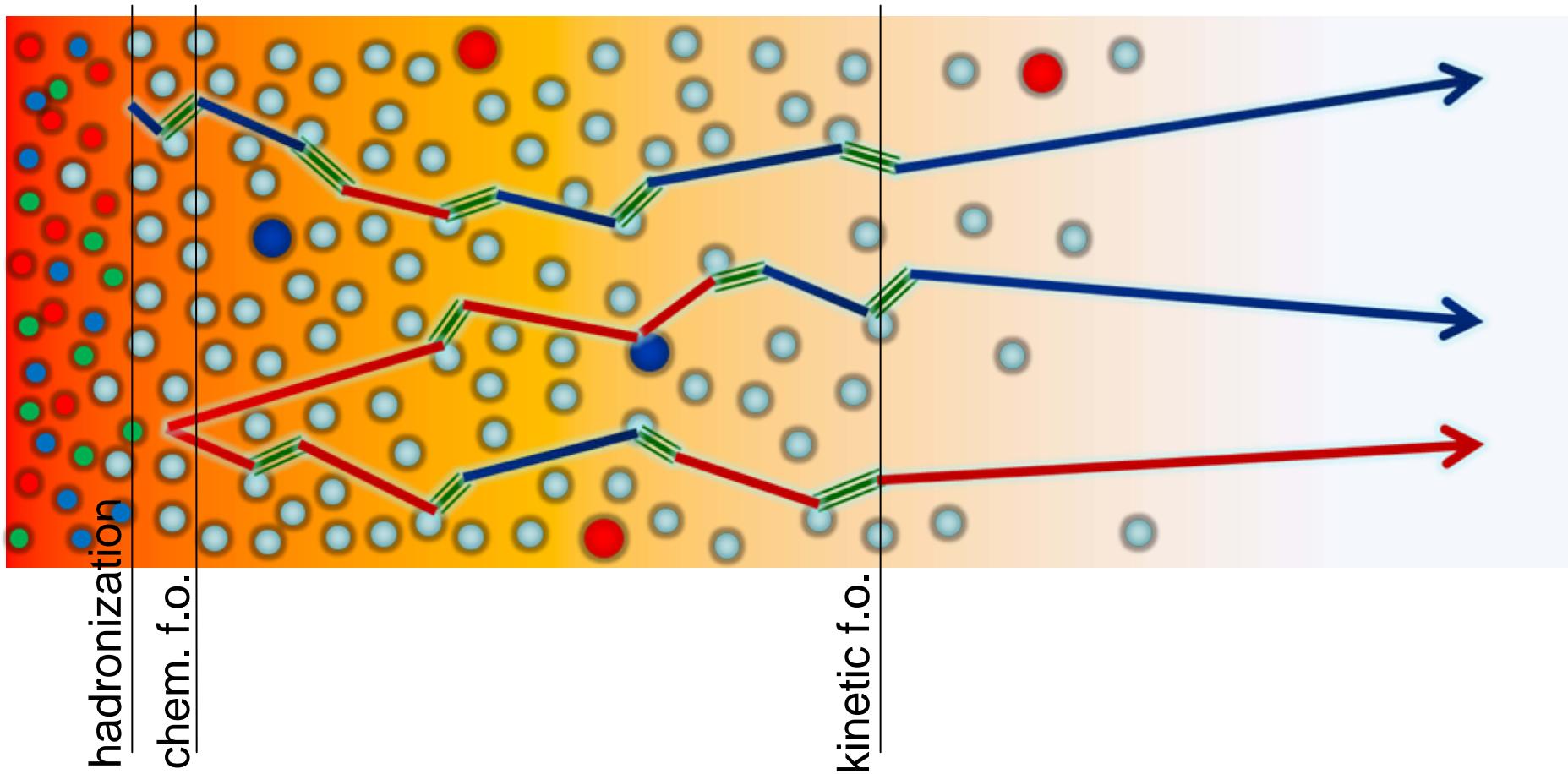
よくある誤解

Net Proton Number は保存量



“Proton Number is a proxy of Baryon Number” @ あるpresentation
(neutron number ≠ 観測可能量)

Thanks to last HIC/HIP meeting



$$P_i(N_p, N_n, N_{\bar{p}}, N_{\bar{n}}) \rightarrow P_f(N_p, N_n, N_{\bar{p}}, N_{\bar{n}})$$

Chemical Freezeoutの後でも、resonanceは生成される！

Proton and Nucleon Moments

$N_N \rightarrow N_p$

$$\langle (\delta N_p^{(\text{net})})^3 \rangle = \frac{1}{8} \langle (\delta N_N^{(\text{net})})^3 \rangle + \frac{3}{8} \langle \delta N_N^{(\text{net})} \delta N_N^{(\text{tot})} \rangle$$

$$\langle (\delta N_p^{(\text{net})})^4 \rangle_c = \frac{1}{16} \langle (\delta N_N^{(\text{net})})^4 \rangle_c + \frac{3}{8} \langle (\delta N_N^{(\text{net})})^2 \delta N_N^{(\text{tot})} \rangle + \frac{3}{16} \langle (\delta N_N^{(\text{net})})^2 \rangle - \frac{1}{8} \langle N_N^{(\text{tot})} \rangle$$

$N_p \rightarrow N_N$

$$\langle (\delta N_N^{(\text{net})})^3 \rangle = 8 \langle (\delta N_p^{(\text{net})})^3 \rangle - 12 \langle \delta N_p^{(\text{net})} \delta N_p^{(\text{tot})} \rangle + 6 \langle N_p^{(\text{net})} \rangle$$

$$\langle (\delta N_N^{(\text{net})})^4 \rangle_c = 16 \langle (\delta N_p^{(\text{net})})^4 \rangle_c - 48 \langle (\delta N_p^{(\text{net})})^2 \delta N_p^{(\text{tot})} \rangle + 48 \langle (\delta N_p^{(\text{net})})^2 \rangle + 12 \langle (\delta N_p^{(\text{tot})})^2 \rangle - 26 \langle N_p^{(\text{tot})} \rangle$$

$$\langle \delta N^4 \rangle_c = \langle (\delta N)^4 \rangle - 3 \langle (\delta N)^2 \rangle^2$$

Kitazawa and M.A., 2011, 2012

Balance Function

QGP properties

Relevant charge carriers:

Jeon, Koch, PRL 85, 2072 (2000).
Asakawa et al., PRL 85, 2076 (2000).



QGP: Charge unit = fractional



Hadron Gas: Charge unit = 1

- Identify relevant charge carriers
- Depends strongly on the originating phase
- Event-by-event net-charge fluctuations:

$$\nu_{(+,-,\text{dyn})} = \frac{\langle N_+ (N_+ - 1) \rangle}{\langle N_+ \rangle^2} + \frac{\langle N_- (N_- - 1) \rangle}{\langle N_- \rangle^2} - 2 \frac{\langle N_+ N_- \rangle}{\langle N_+ \rangle \langle N_- \rangle}$$

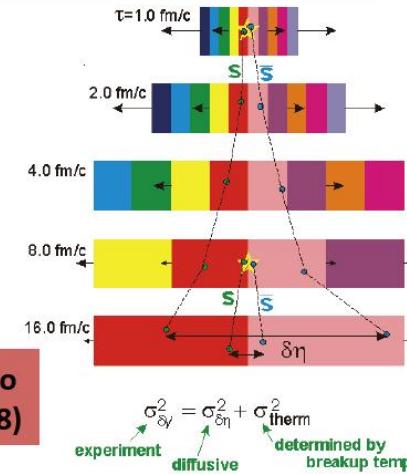
Poster: S. Jena
(16 Aug - Nr. 421)

Balancing charge separation:

Bass, Danielewicz, Pratt, PRL 85, 2689 (2000).

- Correlation of balancing charges
 - Collective motion
 - Initial charge separation at freeze-out
 - Time of hadronization
- Balance function (e.g. for $\Delta\eta$):

$$B(\Delta\eta) = \frac{1}{2} \left\{ \frac{N_+(\Delta\eta) - N_+(\Delta\eta)}{N_+} + \frac{N_-(\Delta\eta) - N_-(\Delta\eta)}{N_-} \right\}$$



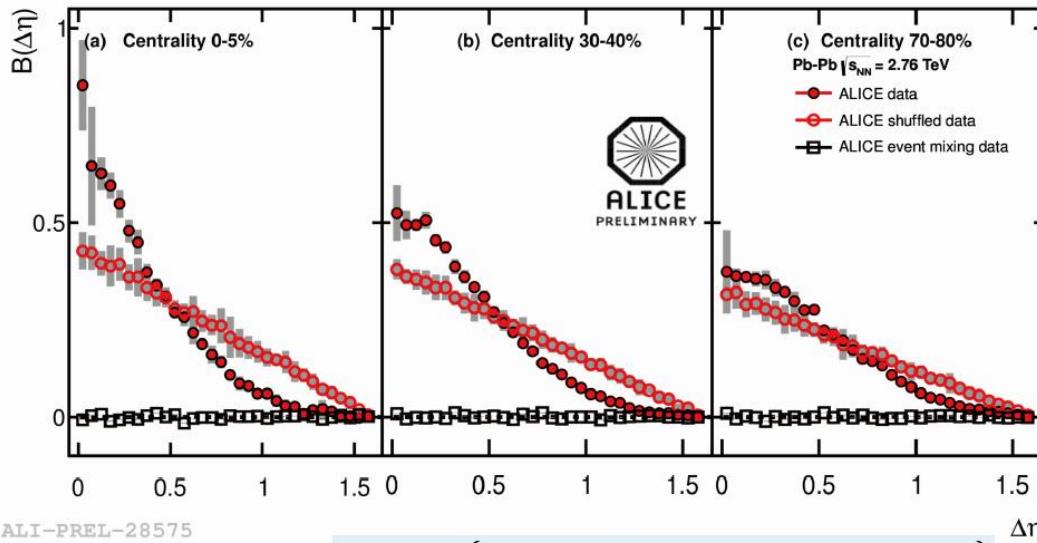
QM 2012 - Washington - 14.08.2012

Weber, QM2012

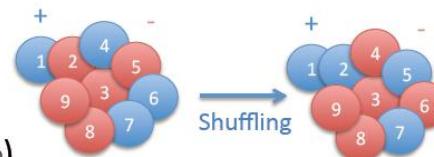
M. Asakawa (Osaka University)

Balance Function

Balance functions ($\Delta\eta$)



- Experimental definition:
$$B(\Delta\eta) = \frac{1}{2} \left\{ \frac{N_+(\Delta\eta) - N_-(\Delta\eta)}{N_+} + \frac{N_+(\Delta\eta) - N_-(\Delta\eta)}{N_-} \right\}$$
- Shuffled events: break charge-momentum correlation (acceptance effect)
- Mixed events: break momentum correlations (charge dependent effects on acceptance)
- Data: Mixed events subtracted (important for $\Delta\phi$)



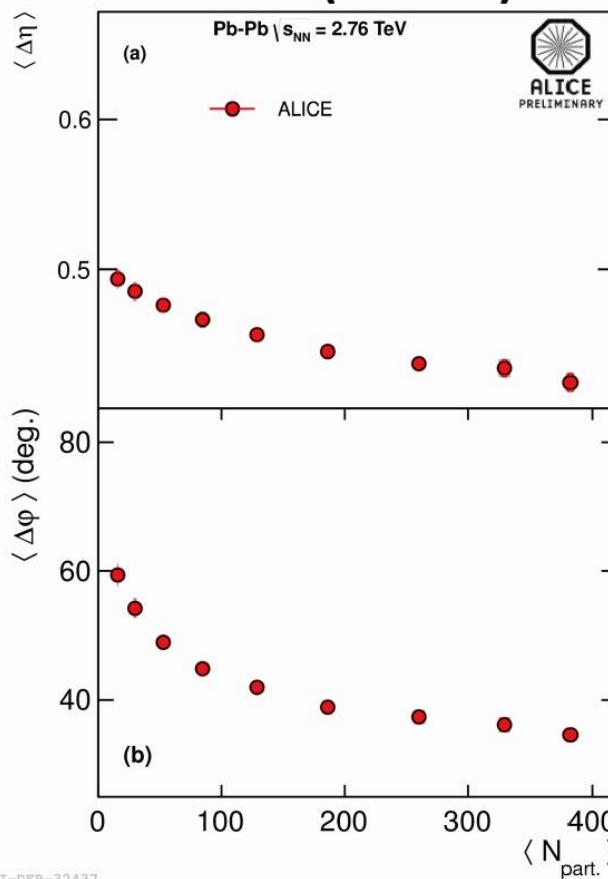
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Balance Function

Centrality dependence (Data)

Data:

- Strong centrality dependence



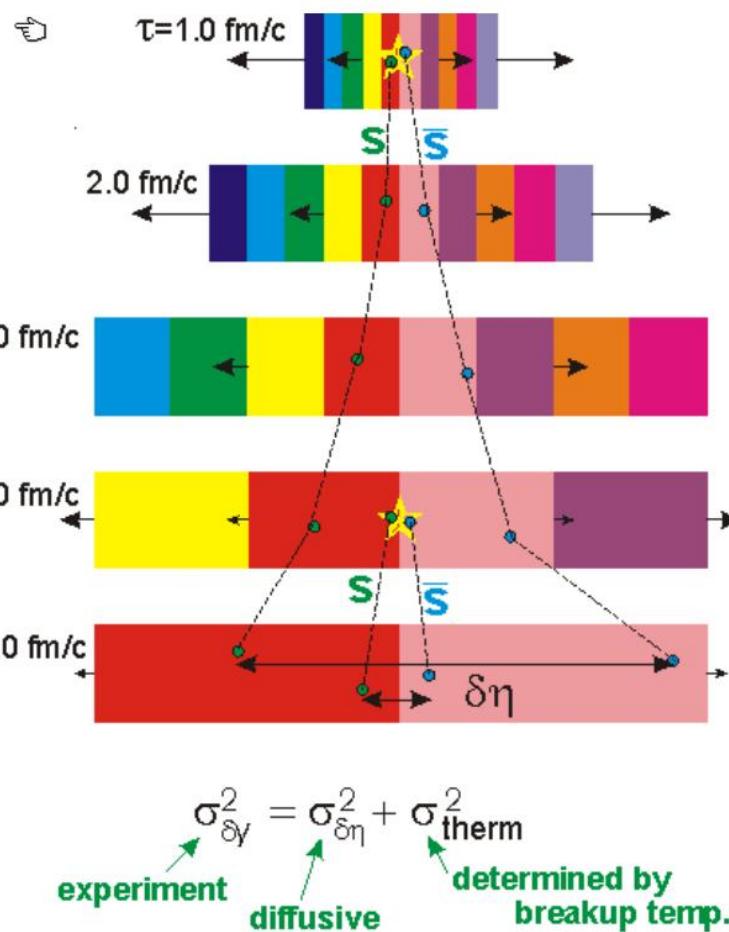
ALICE-DER-32437
QM 2012 - Washington - 14.08.2012

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Weber, QM2012

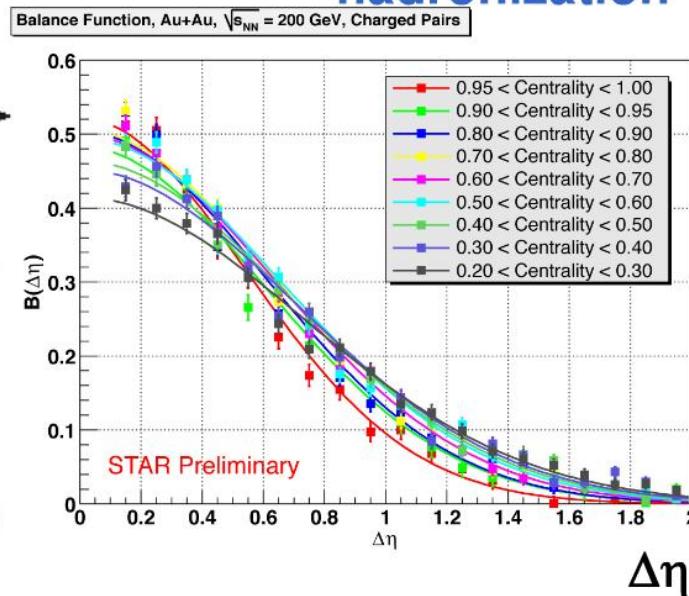
M. Asakawa (Osaka University)

Balance Function



Charge fluctuations and balance functions

- Measure separation of balancing charges
- Can signal delayed hadronization



Scott Pratt

Michigan State University

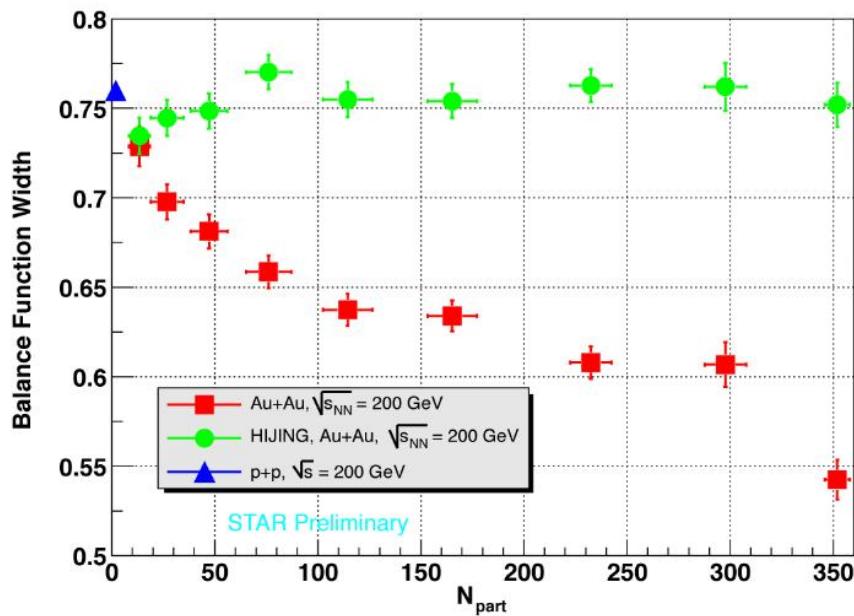
S. Pratt, QM2002

M. Asakawa (Osaka University)

Balance Function

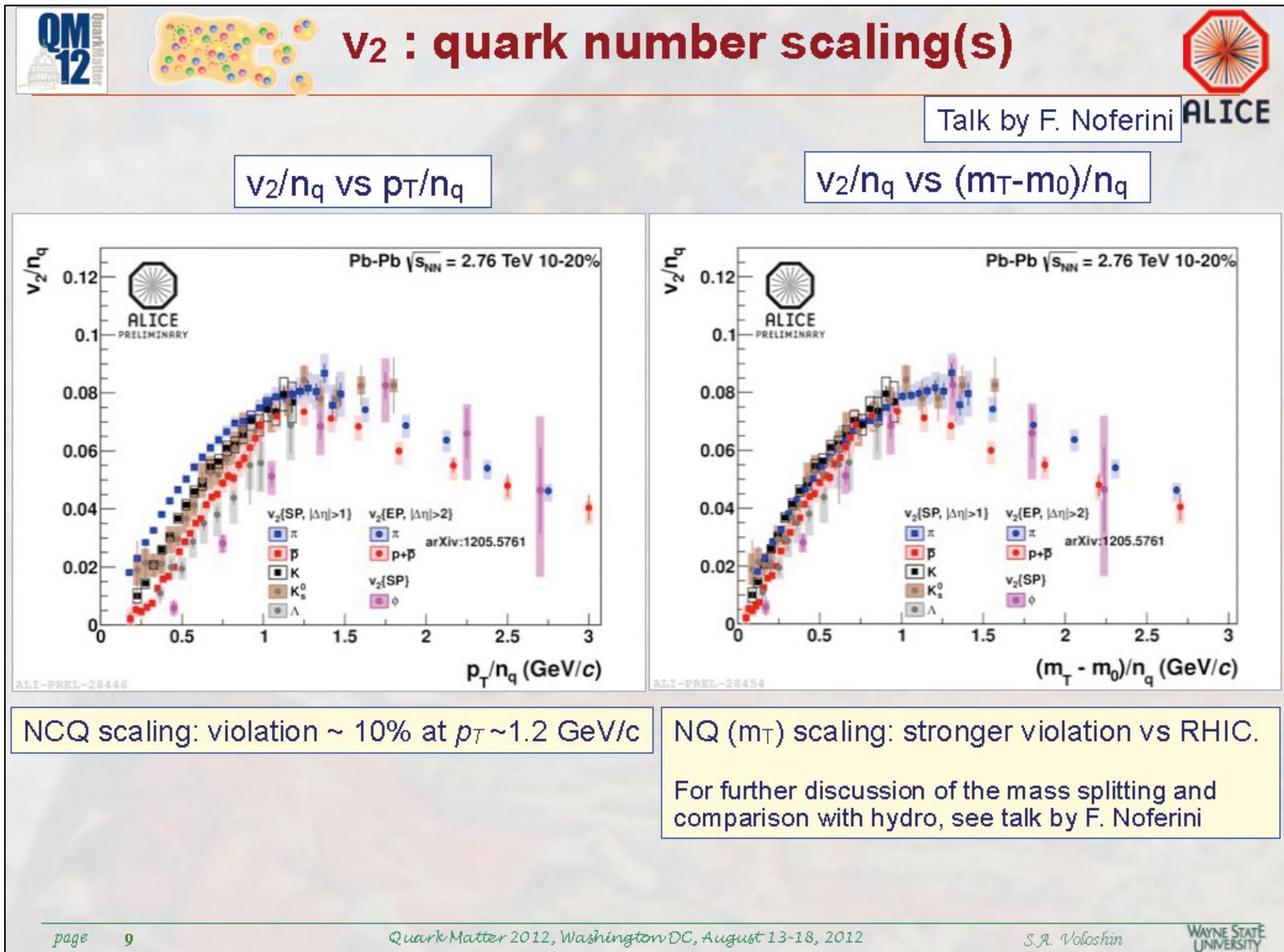
Charge fluctuations and balance functions

Balance Function Width



- Separation decreases with centrality
- Requires delayed production of charge (delayed hadronization)
- Suggests creation of gluon-rich matter

V_2 : incomplete NCQ scaling



Nonperturbative Gluonic Dynamics?

Bass, Müller, and M. A., arXiv 1208.2426

Nagoya Mini-Workshop 2012
"Phenomenology and Experiments at RHIC and LHC"
25-26 September 2012, Nagoya, Japan

詳しく知りたい方はどうぞ