## Particle production mechanisms in hadron collisions

Satoshi Yano Hiroshima University

#### Introduction



ヒッグス粒子を見つけなければ!





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もしかしたら標準模型を超える物理に遭遇するかも!



#### B中間子が大量に生成するぜ!



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もしかしたら標準模型を超える物理に遭遇するかも!

B中間子が大量に生成するぜ!



世界最高温度のQGPの研究が出来る!

## QCD in pp at LHC

バックグランド

バックグランド





でも・・・



### Particle production

• Factorization Theorem

$$d\sigma_{AB \to h_c X} = f_a \left( x_a, \mu_{PDF}^2 \right) \otimes f_b \left( x_b, \mu_{PDF}^2 \right) \otimes d\hat{\sigma}_{ab \to cx} \otimes D_c^{h_c} \left( z_c, \mu_{FF}^2 \right)$$

$$f_a \left( x_a, \mu_{PDF}^2 \right) \qquad z = \frac{P_c}{p_c}$$

$$D_c^{h_c} \left( z_c, \mu_{FF}^2 \right)$$



#### Particle production

Factorization Theorem

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## QCD subprocess

• Hard scattering in conventional pQCD

$$E\frac{d^{3}\sigma}{dp^{3}}(AB \rightarrow CX) = \frac{d^{3}\sigma}{p_{T}dp_{T}dyd\varphi} = \frac{1}{p_{T}^{2n_{active}-4}}F\left(\frac{p_{T}}{\sqrt{s}}\right)$$

 $- n_{\text{active}}$  is the number of fields participating to the hard process

$$-p_{T}/\sqrt{s} \propto x_{T}$$

(3) 
$$2 \rightarrow 2$$
 sub-process  
Jet or direct photon  
 $n_{\text{active}} = 4 \rightarrow 2n_{\text{active}} - 4 = 4$ 

# $x_{T}$ scaling

$$\sqrt{s}^{n} E \frac{d^{3} \sigma}{dp^{3}} (AB \to CX) = \left(\frac{\sqrt{s}}{p_{T}}\right)^{n} F\left(\frac{p_{T}}{\sqrt{s}}\right) = \left(\frac{2}{x_{T}}\right)^{n} F'(x_{T}) = G(x_{T})$$

$$n = 2n_{active} - 4$$

$$x_T = \frac{2p_T}{\sqrt{s}}$$

## $x_{T}$ scaling

$$\sqrt{s}^{n} E \frac{d^{3} \sigma}{dp^{3}} (AB \to CX) = \left(\frac{\sqrt{s}}{p_{T}}\right)^{n} F\left(\frac{p_{T}}{\sqrt{s}}\right) = \left(\frac{2}{x_{T}}\right)^{n} F'(x_{T}) = G(x_{T})$$

$$n = 2n_{active} - 4$$
$$x_T = \frac{2p_T}{\sqrt{s}}$$

NOT depend on collision energy!



## **Direct hadron production**

#### **Meson production**



Direct meson production  $n_{\text{active}} = 5 \rightarrow 2n_{\text{active}} - 4 = 6$  $E \frac{d^3 \sigma}{dp^3} (AB \rightarrow CX) = \frac{1}{p_T^6} F\left(\frac{p_T}{\sqrt{s}}\right)$ 

Baryon production 3 1 (1) (4) (5) (6)

Direct baryon production  $n_{\text{active}} = 6 \rightarrow 2n_{\text{active}} - 4 = 8$  $E \frac{d^3 \sigma}{dp^3} (AB \rightarrow CX) = \frac{1}{p_T^8} F\left(\frac{p_T}{\sqrt{s}}\right)$ 

## Extraction of the exponent *n*

• From  $x_{T}$  scaling  $\sqrt{s}^{n} E \frac{d^{3} \sigma}{dp^{3}} (AB \rightarrow CX) = G(x_{T})$ Constant for several collision energies
• G(x\_{T}) is constant

$$\sqrt{s_1}^n E \frac{d^3 \sigma}{dp^3} (AB \to CX) = \sqrt{s_2}^n E \frac{d^3 \sigma}{dp^3} (AB \to CX)$$
$$n = -\frac{\ln \left[ \sigma_1^{inv} \left( x_T, \sqrt{s_1} \right) / \sigma_2^{inv} \left( x_T, \sqrt{s_2} \right) \right]}{\ln \left( \sqrt{s_1} / \sqrt{s_2} \right)}$$

NOTE:  $Vs_1 \sim Vs_2$  is better to cancel several higher order effects

#### Exponent n in experiment

• Exponent n is measured at 22.4 GeV to 1.8 TeV



# Neutral meson measurement with the ALICE detector

## ALICE @ LHC



- Central detectors
  - ITS: Particle DCA
  - TPC: Tracking + PID
  - TOF: PID
  - HMPID: PID
  - TRD: electron ID
  - EM Calorimeter: 5 MeV 80 GeV
- Forward detectors
  - Muon: Tracking muon ID



# Photon reconstruction (1)

- PHOS
  - Lead Tungstate Crystal (PbWO<sub>4</sub>)
  - Cell dimensions:
    - $\Delta\eta \times \Delta\varphi = 0.004 \times 0.004$
  - Energy resolution:
    - $\sigma_E / E = 1.8\% / E \oplus 3.3\% / \sqrt{E} \oplus 1.1\%$
  - $\eta < 0.12, \Delta \varphi = 60^{\circ}$
- EMCal
  - Shashlik calorimeter (leads/scintillator × 77)
  - Cell dimensions:
  - Energy resolution:  $143 \times 0.0143$ 
    - •
    - $\sigma_{E} / E = 4.8\% / E \oplus 11.3\% / \sqrt{E} \oplus 1.7\%$ | $\eta < 0.67, \Delta \varphi = 100^{\circ}$





## Photon reconstruction (2)

- Photon Conversion Method (PCM)
  - Select electron candidates with TPC dE/dx
  - Pair of electron and positron with large impact parameter
  - DCA between the pair (V0 finding)
  - Armenteros-Podolanski-Plot
- Performance
  - $\circ$  |  $\eta$  |< 0.9, 0 <  $\varphi$  < 2 $\pi$
  - Purity > 99%





#### Data sample

- proton-proton @ 8 TeV (2012)
- Min-bunch crossing: 50 ns = 20M Hz
- The collision probability / BC @ ALICE: 1 5 %
- Minimum-bias trigger
  - Coincidence V0-A and V0-C
  - 76% efficiency for the inelastic cross section
  - $\sigma_{pp}^{MB} = 55.7 \text{ mb} (vdM \text{ scan technique})$
- PHOS-trigger
  - L0-trigger:  $E_{th} = 4 \text{ GeV}$ 
    - Rejection factor to MB: ~10000
- EMCal-trigger
  - L0-trigger: E<sub>th</sub> = 2 GeV
    - Rejection factor to MB: ~70
  - L1-trigger: E<sub>th</sub> = 4 GeV
    - Rejection factor to MB: ~ 12000





## Neutral meson reconstruction



- Event mixing for uncorrelated background
- Fit with gauss + low mass tail
- Paring two photons from PHOS / PCM / EMCal / PCM-EMCal hybrid

## Results

#### Full corrected cross section



$$E\frac{d^{3}\sigma}{dp^{3}} = \frac{1}{2\pi p_{T}} \frac{\sigma_{pp}^{MB_{AND}}}{N_{evt}^{i}} \frac{\left(1 - F_{Secondary}\right)}{Br(h \rightarrow \gamma\gamma)} \frac{1}{Acc \cdot \varepsilon} \frac{\Delta N^{h}}{\Delta \eta \Delta \varphi}$$



## Results: Cross section at 8 TeV



- 0.3 35 GeV/c π<sup>0</sup> has been measured by combining all subsystems!
- The pQCD predictions which have been tuned with lower energy results overestimate the spectrum.



#### Exponent n

- The π<sup>0</sup> is consistent with the jet @LHC energies
- The π<sup>0</sup> is higher than the jet @ RHIC energies

- Almost all neutral pions are generated by the jet fragmentation @ LHC!
- On the other hand, neutral pions are generated by both jet fragmentation and direct hadron production @ RHIC!

## Multiplicity dependence

The growth of high  $p_{T}$  region is larger than low  $p_{T}$ .

## Multiplicity dependence

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 The CR (Color Reconnection) model describes both high and low p<sub>T</sub> growth.

## Color reconnection (CR)



#### 1 Multiple Parton Interactions

## Color reconnection (CR)



1 Multiple Parton Interactions

2 Color connection



## Color reconnection (CR)



1 Multiple Parton Interactions

2 Color connection

3 Color reconnection (CR)





## Multiplicity dependence

• The growth of high  $p_{T}$  region is larger than low  $p_{T}$ .

 The CR (Color Reconnection) model describes both high and low p<sub>T</sub> growth.

• The CR model describes both light and heavy hadrons growth.

## Multiplicity dependence



## Results: $\eta$ to $\pi^0$ ratio

- $m_{\rm T}$  scaling violation! (6.2 $\sigma$ )
- Radial flow?



## Summary and conclusion

- Wide  $p_{T}$  range neutral pion cross section in pp collisions at several LHC energies have been measured with the ALICE detector.
- The direct hadron production mechanism can be ignored at LHC collisions energies. On the other hand at RHIC energies, it should be considered.
  - When we compare with the LHC and RHIC results, the differences should be considered.
- The CR model describes the multiplicity dependence of light and heavy hadrons.
  - The CR can not reproduce the ridge...
- The obvious  $m_{T}$  scaling violation has been measured.

#### LHC-Run1 pp results

## $x_{T}$ scaling

## Multiplicity determination